An Enhanced Resilient Backpropagation Artificial Neural Network for Intrusion Detection System

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Summary

The potential threats and attacks that can be caused by intrusions have been increased rapidly due to the dependence on network and internet connectivity. In order to prevent such attacks, Intrusion Detection Systems were designed. Different soft computing based methods have been proposed for the development of Intrusion Detection Systems. In this paper a multilayer perceptron is trained using an enhanced resilient backpropagation training algorithm for intrusion detection. In order to increase the convergence speed an optimal or ideal learning factor was added to the weight update equation. The performance and evaluations were performed using the NSL-KDD anomaly intrusion detection dataset. The experiments results demonstrate that the system has promising results in terms of accuracy, storage and time; the designed system was capable to classify records with a detection rate about 94.7%.

Key words:

Intrusion Detection System, Resilient Backpropagation, Artificial Neural Network.

1. Introduction

Attacks on computer infrastructures are becoming an increasingly serious problem nowadays, therefore several information security techniques are available today to protect information systems against unauthorized use, duplication, alteration, destruction and viruses attacks [1]. Researcher in [2] agrees that detection of computer and network system intrusions has always been an elusive goal for system administrators and information security researchers. The individual creativity of attackers, the wide range of computer hardware and operating systems, and the ever-changing nature of the overall threat to target systems have contributed to the difficulty in effectively identifying intrusions.

Given the level and nature of modern network security threats, the question for security professionals should not be whether to use intrusion detection, but which intrusion detection features and capabilities to use. Intrusion Detection Systems have gained acceptance as a necessary addition to every organization's security infrastructure [3].

2. Related Work

The ability of soft computing techniques for dealing with uncertain and partially true data makes them attractive to be applied in intrusion detection. Some studies have used soft computing techniques other than ANNs in intrusion detection. Li, Zhang & Gu [7] proposed an anomaly based network intrusion detection system based on Multilayer perceptron with single hidden layer trained by Backpropagation learning algorithm. The system operation was divided into three stages: Input Data Collection and Preprocessing, Training, and Detection stage. The result for the proposed module was 95% detection rate. Sammany et al. [10] developed an intrusion detection system and classification attacks using artificial neural networks. They were able to design a multilayer perceptron capable to distinguish only 2 types of attacks (Neptune, Satan) from normal. The proposed MLP architecture was trained using Backpropagation algorithm with two hidden layers and three class output neurons. The results showed that the system was able to classify records with 93.43% detection rate. Al-Rashdan [4] has proposed an intelligent model using Hybrid Artificial Neural Networks, supervised and unsupervised learning capabilities to classify and / or detect network intrusions from the KDDCup'99 dataset. She designed three cooperative phases by using an enhanced k-means clustering algorithm in Phase-1 "clustering phase", a Hybrid Artificial Neural Network (Hopfield and Kohonen-SOM with Conscience Function) in Phase-2 "training phase" and a Multi-Class Support Vector Machines in Phase-3 "testing phase". The Hybrid Neural Network Machine Learning Model achieved a detection rate of 92.5%.

3. Proposed System

Expert systems and Artificial Neural Networks (ANN) are the most commonly used approaches in Intrusion Detection Systems [8]. Neural networks are a uniquely powerful tool in multiple class classification, especially when used in applications where formal analysis would be very difficult or even impossible, such as pattern recognition and nonlinear system identification [10]. Because of their generalization feature, neural networks are able to work with imprecise and incomplete data. It means that they can recognize also patterns not presented during a learning phase. That is why the neural networks could be a good solution for detection of a well-known attack, which has been modified by an aggressor in order to pass through the firewall system. In that case, traditional Intrusion Detection Systems, based on the signatures of attacks or expert rules, may not be able to detect the new version of this attack [6].

The proposed system is divided into 3 stages: Dataset features and pre-processing, training enhanced resilient backpropagation neural network and testing the system.

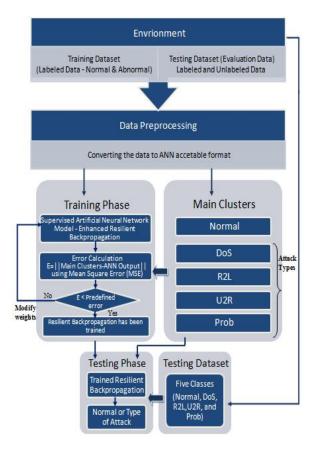


Fig. 1 Proposed System ERBP

3.1 Dataset Features & Pre-Processing Stage

The dataset that will be used for training and testing is "NSL KDD-99" [5, 11]. The NSL KDD dataset includes a wide variety of intrusions together with normal activities simulated in a military network environment. The

simulated attacks fall in one of four major categories: DoS (denial of service), R2L (unauthorized access from remote machine), U2R (unauthorized access to local superset privilege) and Probing (surveillance and other probing). Each instance in the dataset consists of the extracted features of a connection record. There are 41 features and they are either symbolic or continuous. The following operations are applied to the training and testing datasets:

Transformation: Symbolic columns which are protocol, service, flag and label must be converted to a numeric values using a customization transformation table, in order to be in an appropriate format before entering the classification phase.

Dividing: after transformation, the dataset which it is used to train the neural network is divided into 3 subsets: training, validation and testing. Training subset is used to tune the weights of the connections, validation subset is used to find out how the net would perform on data it has never been seen, while testing subsets is used to stop the training process. Using random division the main subset is divided where: 70% is the training subset, validation subset is 15% and testing subset is 15%.

Standardization: means subtracting a measure of location and dividing by a measure of scale. Means that subtract the mean and divide by the standard deviation, so the training subset matrix is processed by mapping each row's means to 0 and standard deviations to 1. The mean and variance of the training subset are applied to the validation and testing subsets. It's important to mention that the main testing dataset also should be standardized before performing the simulation. The standardization can be done using the Matlab function mapstd.

3.2 Training Enhanced Resilient Backpropagation Artificial Neural Network Stage

Riedmiller and Braun [9] defined RPROP which stands for 'resilient propagation' as an efficient new learning scheme, which performs a direct adaptation of the weight step based on local gradient information. The main difference to the ordinary backpropagation is that the effort of adaptation is not blurred by gradient behavior whatsoever, it only depends on the sign of the derivative not its value and therefore it will converge from ten to one hundred times faster than the simple backpropagation algorithms. Many algorithms have been proposed to deal with the problem of the ideal weight-update by performing some parameter adaption during the learning process. The RPROP deals with the local adaption instead of the global adaption, where it uses only the partial derivative of the error.

3 2 1

The general learning rule formula is identified as [13]: $w^{(m+1)} = w^m + \xi(t^m - d^m)z^m$

Where

w^(m+1) is the new weight,

w^m is the previous weight,

ξ is a positive learning factor, t^m is the target (desi

 d^m is the neural output and finally z^m is a training pattern

In order to improve the convergence speed where the neural network will settle in the global minima instead the local, the above equation is improved by defining the optimal value for the learning factor. The optimal factor is derived from the learning rule, where assuming w* is the correct weight solution [13]:

$$w^{(m+1)} - w^* = w^m - w^* + \xi (t^m - d^m)z^m$$

Now if \mathbf{z}^{m} is correctly classifed there is no need to update the weights, but if \mathbf{z}^{m} is misclassified, then:

$$\|w^{(m+1)} - w^*\|^2 = \|w^m - w^*\|^2 + \xi^2 \|z^m\|^2 + 2\xi(t^m - d^m)$$

Where \blacksquare is any norm and $(t^m - d^m)^2 = 1$, because when target is one the neural output will be zero and vice versa. The target and the neural output will never be equal because we assumed from the beginning that \mathbb{Z}^m is missclassified.

Now it can be shown that:
$$(t^m - d^m)(w^*)^T z^m = |(w^*)^T z^m| \ge 0$$

Reinforcement Learning

ana

$$(t^m - d^m)(w^m)^T z^m = -|(w^m)^T z^m| \le 0$$

Anti – Reinforced Learning

Then substitute the above two formulas in the main equation, we have:

$$\|w^{(m+1)} - w^*\|^2 = \|w^m - w^*\|^2 + \xi^2 \|z^m\|^2 - 2\xi(\|(w^*)^T z^n\|^2)$$

Then the optimal step size can be derived by minimizing the mean square error (MSE), where $\|w^{(m+1)} - w^m\| \to 0$

over
$$\xi_{opt}$$
:

$$\xi_{opt} = \frac{|(w^*)^T z^m| + |(w^m)^T z^m|}{||z^m||^2}$$

The finite convergence is guaranteed because the total squared error always decreases with each update. But in case of misclassification the learning rule becomes:

case of misclassification the learning rule becomes:
$$w^{(m+1)} = w^m + \frac{(w^* - w^m)^T z^m}{\|z^m\|^2} z^m$$

But since \mathbf{w}^* is not known then we can't use ξ_{opt} directly we need to use a relaxation method where the unknown term $(\mathbf{w}^*)^{\mathsf{T}}\mathbf{z}^{\mathsf{m}}$ is substituted by a lower bound lets say $\delta, 0 \le \delta \le \delta^*$ where:

$$\delta^* = \min_m |w^* z^m|$$

Thus leading to the well known relaxation method:

$$w^{(m+1)} = w^m + \frac{(t^m - d^m)(\delta + |w^{mr}z^m|)}{\|z^m\|^2} z^m$$

Using f_{opt} , the pseudo code for the enhanced resilient propagation becomes [9, 13]:

For all weights and biases { $if \left(\frac{\partial E}{\partial w}(m-1) * \frac{\partial E}{\partial w}(m) > 0 \right) then \ \{ \\ \Delta(m) = minimum \left(\Delta(m-1) * \eta^+, \Delta_{max} \right) \\ \Delta w(m) = -sign \left(\frac{\partial E}{\partial w}(m) \right) * \Delta(m) \\ w(m+1) = w(m) + \xi_{opt} \Delta w(m) \\ \} \\ else if \left(\frac{\partial E}{\partial w}(m-1) * \frac{\partial E}{\partial w}(m) < 0 \right) then \ \{ \\ \Delta(m) = maximum \left(\Delta(m-1) * \eta^-, \Delta_{min} \right) \\ w(m+1) = w(m) - \xi_{opt} \Delta w(m-1) \\ \frac{\partial E}{\partial w}(m) = 0 \\ \} \\ else if \left(\frac{\partial E}{\partial w}(m-1) * \frac{\partial E}{\partial w}(m) = 0 \right) then \ \{ \\ \Delta w(m) = -sign \left(\frac{\partial E}{\partial w}(m) \right) * \Delta(m) \\ w(m+1) = w(m) + \xi_{opt} \Delta w(m) \\ \} \\ \}$

In the training phase of the enhanced resilient backpropagation neural network, different computational intelligence paradigms were constructed using the training dataset to give maximum generalization accuracy on the unseen data. First of all we started with only one hidden layer using ten neurons, then we incremented the units by 2 neurons and repeated the training process. We have used the iterative process because using high number of hidden neurons will lead to over-fitting problem, where the neural will not be able to classify new records. Generally if the there are no good results then a second layer can be added to improve the neural performance. In our experiments we only needed one hidden layer with 26 hidden neurons. The optimum number of hidden neurons was selected iteratively where [16]:

I (input dimensionality) =41, O (classes) =5 and Ntrn (training vectors) = 2471

Neq (Number of output equations) = Ntrn*O=2471*5= 12355

Hmax1=floor ((Neq-O)/(I+O+1))=floor((12355-5)/(41+5+1))=262

To select the optimum number of hidden neurons Neq>>Nw, where:

Nw (Number of unknown weights) = (I+1)*H+ (1+H)*O; where H is the number of hidden neurons.

Suppose that Neq>r*Nw, where r=10, then: Hmax10=round ((Neq/r-O)/(O+I+1)) = 26

Therefore using H=26, Neq is really large than Nw: Nw = (41+1)*26+(1+26)*5=1227 12355>>1227

According to the above equations the maximum number of hidden neurons is 26, therefore we started the training process with 10 incremented by 2 neurons ending with the maximum which is 26. The results have shown that the optimum number of hidden neurons was 26.

The neural network architecture consists of 41 neurons in the input layer, 26 hidden neurons in the hidden layer and 5 neurons in the output layer. The neural network was trained by adjusting the weights until the error between the desired output and the neural output is below some predefined value (e⁻⁶). Mean Square Error (MSE) will be used to find the norm between the desired output and the neural output.

3.3 Testing Stage

In this stage, testing dataset will be classified by the enhanced resilient backpropagation neural network. The designed system will be evaluated by calculating the Detection Rate (DR), Accuracy Rate, False Positive Rate (FPR), False Negative Rate (FNR), Recall Rate (NPV) and Precision Rate (PPV).

A false-positive occurs when the system classifies an action as anomalous (a possible intrusion) when it is a legitimate action. Although this type of error may not be completely eliminated, a good system should minimize its occurrence to provide useful information to the users. A false-negative occurs when an actual intrusive action has occurred but the system allows it to pass as non-intrusive behavior. While the true-positives (TP) and true-negatives (TN) are correct classifications. Recall Rate measures the proportion of actual positives which are correctly identified. Precision Rate is the ratio of true positives to combined true and false positives [12].

Intrusion Detection Evaluation Formulas [15]:

Detection Rate=number of corrected classified/total number of records

Accuracy= ((TP+TN))/((TP+TN+FN+FP))

(Recall(Sensitivity NPV)=TP)/((TP+FN))

(Precision(PPV)=TP)/((TP+FP))

(False Positive Rate (FPR)=FP)/((TN+FP))

(False Negative Rate (FNR)=FN)/((TP+FN))

4. Experiments and Results

In this paper an enhanced resilient backpropagation neural network was trained to detect intrusions using NSL-KDD99 dataset. Training dataset was used to tune the weights and testing dataset was used for the network evaluation. Testing set contains some attacks that it is not represented in the training set. The testing dataset (Labeled and Unlabeled) details are shown in the tables below:

Table: 1 Testing Datasets (Labeled) Analysis Details

| Testing Dataset (Labeled) | Class Size | |
|---------------------------|------------|--|
| Normal | 1000 | |
| Denial of Service (DoS) | 1200 | |
| User to Root (U2R) | 37 | |
| Root to Local (R2L) | 1200 | |
| Prob | 1200 | |
| Total | 4637 | |

Table: 2 Testing Datasets (Unlabeled) Analysis Details

| Testing Dataset (Unlabeled) | Class Size |
|-----------------------------|------------|
| Unknown | 3750 |

An enhanced resilient backpropagation neural network (ERBP) will be used also to classify the testing set into 5 classes. The neural network was trained using the following parameters:

Table: 3 Enhanced Resilient Artificial Neural Network Parameters

| Parameters | Details | |
|---------------------|--|--|
| Learning | Supervised | |
| Input Layer | One input layer with 41 neurons (input dimensionality) | |
| Hidden Layer | One hidden layer with 26 neurons | |
| Output Layer | One output layer with 5 neurons (Classes) | |
| Number of epochs | 203 | |
| Transfer Function | Hyperbolic tangent sigmoid (tansig) and Log-sigmoid (logsig) | |
| Network Performance | Mean Square Error (MSE) | |

As mentioned in the training stage section, the number of hidden neurons was selected carefully and precisely according to the confusion matrix results, therefore 26 hidden neurons were selected. The classification rate for different number of hidden neurons is described in the following table:

Table: 4 Number of Hidden Neurons vs. Detection Rate

| Hidden Neurons | Detection Rate |
|----------------|----------------|
| 10 | 90.3% |
| 12 | 90.1% |
| 14 | 92% |
| 16 | 92.8% |
| 18 | 91.7% |
| 20 | 93.3% |
| 22 | 93.5% |
| 24 | 91.4% |
| 26 | 94.7% |
| 28 | 92.7% |
| 30 | 93.9% |
| 32 | 91.7% |

Using the enhanced resilient backpropagation has improved the performance of the system in terms of classification rate and number of epochs in comparison with the ordinary resilient backpropagation. The table below demonstrates the difference between them:

Table: 5 Enhanced resilient backpropagation vs. Ordinary resilient backpropagation

| Algorithm | Detection Rate | Epochs |
|------------------------------------|----------------|---------------|
| Ordinary resilient backpropagation | 94.5% | 244 |
| Enhanced resilient backpropagation | 94.7% | 203 |

Enhanced resilient backpropagation neural network (ERBP) was able to classify the testing dataset labeled and unlabeled as follows:

Table: 6 Labeled Testing dataset Results

| Testing(Label ed) Datasets | Class Size | Detected Size | Detection Rate |
|----------------------------|------------|---------------|-------------------|
| Normal | 1000 | 843 | 84.3% |
| DoS | 1200 | 1172 | 97.7% |
| U2R | 37 | 20 | 54.1% |
| R2L | 1200 | 1159 | 96.6% |
| Prob. | 1200 | 1197 | 99.8% |
| Total | 4637 | 4391 | 94.7% |

Classifiers are best judged by the distribution of classification error rates in the confusion matrix. The following figure represents the confusion matrix of the enhanced resilient backpropagation.

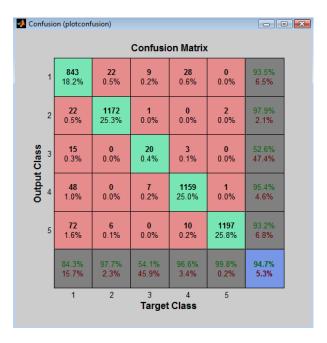


Fig. 2 Enhanced Resilient Backpropagation Neural Network Confusion Matrix

The system was able to classify the unlabeled test dataset with a detection rate about 89%:

Table: 7 Unlabeled Testing dataset Results

| Testing (Unlabeled) Datasets | Class | Detected | Detection |
|------------------------------|-------|----------|-----------|
| | Size | Size | Rate |
| Unknown attacks | 3750 | 3340 | 89% |

Finally the system performance is compared to other intrusion detection systems that use either neural network (supervised, unsupervised) or Iterative Dichotomiser3 (ID3) which it's a decision tree method.

Table: 8 Intrusion Detection System Evaluation Rates vs. Other systems

| Tuole. 6 Indusion Detection System Evaluation Rates vs. 6ther systems | | | | | | |
|---|-------|-------|-------|-------|-------|------|
| Metho | DR | AR | NPV | PPV | FPR | FNR |
| ERBP | 94.7% | 95.3% | 98.4% | 95.8% | 15.7% | 1.6% |
| ART1 | 71.1% | 97.4% | ı | ı | 1.9% | 0.5% |
| SOM | 83.44 | 95.7% | 1 | ı | 3.5% | 0.7% |
| ID3 | - | 99% | 98% | - | - | - |

5. Conclusion

In this paper an intrusion detection system was designed. The proposed system classifies intrusions using an enhanced resilient backpropagation neural network. The enhanced resilient backpropagation was able to classify the records into 5 classes with a reasonable good detection rate

about 94.7% and with a false positive rate of 15.7%. As noticed from table 8 supervised learning (ERBP & ID3) and unsupervised learning (ART1 & SOM) have close results in terms of Accuracy Rate and Recall Rate. False Positive Rate was less using unsupervised SOM & ART1 than supervised ERBP. Detection rate for the ERBP was greater than unsupervised ART1 & SOM. The conclusion of this comparison is that the intrusion detection system can be designed with high detection, accuracy, recall and precision rates while maintaining low false negative and false positive rates, if hybrid system of supervised models or supervised and unsupervised models is used. The power of integrating models is that the system will combine the power of the combined models, therefore designing a very powerful and reliable intrusion detection system.

During experiments, User to Root attack always suffers from low detection rate due to, there are a few records in the training dataset and this usually will lead the classifiers, especially neural networks to converge to the other attacks.

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